

EC CURRICULUM: FET MATHEMATICS, MATHEMATICAL LITERACY AND TECHNICAL MATHEMATICS

NATIONAL SENIOR CERTIFICATE

GRADE 12

MATHEMATICS TOPIC TEST 2 OF 2020: ANALYTICAL GEOMETRY

MARKS: 40

TIME: 48 Minutes Strictly!

This question paper consists of 9 pages, including Information Sheet and ANSWER SHEETS.

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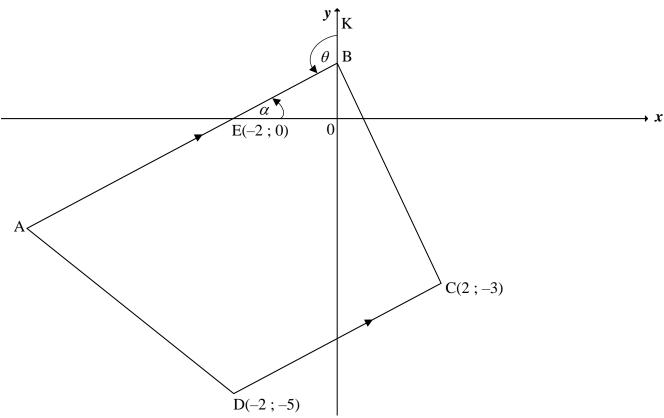
INSTRUCTIONS AND INFORMATION

Read the following instructions carefully before answering the questions.

- 1. This question paper consists of 2 questions. Answer ALL questions in ANSWER SHEETS.
- 2. Clearly show ALL calculations, diagrams, graphs, et cetera that you have used in determining your answers.
- 3. Answers only will NOT necessarily be awarded full marks.
- 4. You may use an approved scientific calculator (non-programmable and non-graphical), unless stated otherwise.
- 5. If necessary, round off answers to TWO decimal places, unless stated otherwise.
- 6. Diagrams are NOT necessarily drawn to scale.
- 7. An information sheet with formulae is included at the end of the question paper.
- 8. Write neatly and legibly.

QUESTION 1

In the diagram, A, B, C(2; -3) and D(-2; -5) are vertices of a trapezium with AB || DC. E(-2; 0) is the x-intercept of AB. The inclination of AB is α . K lies on the y-axis and $K\hat{B}E=\theta$.



1.1 Determine:

1.1.3 The equation of AB in the form
$$y = mx + c$$
 (3)

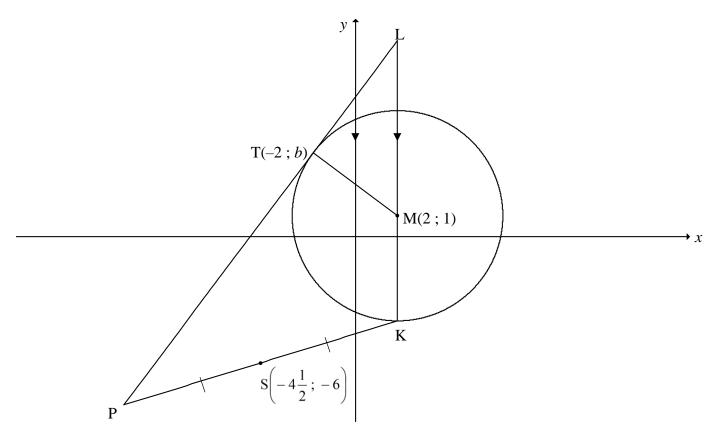
1.1.4 The size of
$$\theta$$
 (3)

- 1.2 Prove that AB \perp BC. (3)
- 1.3 The points E, B and C lie on the circumference of a circle. Determine:
 - 1.3.1 The centre of the circle (2)
 - 1.3.2 The equation of the circle in the form $(x-a)^2 + (y-b)^2 = r^2$ (4)

[19]

QUESTION 2

In the diagram, the circle is centred at M(2; 1). Radius KM is produced to L, a point outside the circle, such that KML \parallel y-axis. LTP is a tangent to the circle at T(-2; b). $S\left(-4\frac{1}{2}; -6\right)$ is the midpoint of PK.



- Given that the radius of the circle is 5 units, show that b = 4. (4)
- 2.2 Determine:
 - 2.2.1 The coordinates of K (2)
 - 2.2.2 The equation of the tangent LTP in the form y = mx + c (4)
 - 2.2.3 The area of $\triangle LPK$ (7)
- 2.3 Another circle with equation $(x-2)^2 + (y-n)^2 = 25$ is drawn. Determine, with an explanation, the value(s) of n for which the two circles will touch each other externally.

(4) [21]

TOTAL: 40

INFORMATION SHEET: MATHEMATICS

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$A = P(1+ni) \quad A = P(1-ni) \qquad A = P(1-i)^n \qquad A = P(1+i)^n$$

$$S_n = \frac{n}{2} [2a + (n-1)d]$$

$$T_n = ar^{n-4} \qquad S_n = \frac{a(r^n - 1)}{r - 1} \quad ; r \neq 1$$

$$F = \frac{x[(1+i)^n - 1]}{i} \qquad P = \frac{x[1 - (1+i)^n]}{i}$$

$$f'(x) = \lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$$

$$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2} \qquad M\left(\frac{x_1 + x_2}{2}; \frac{y_1 + y_2}{2}\right)$$

$$y = mx + c \qquad y - y_1 = m(x - x_1) \qquad m = \frac{y_2 - y_1}{x_2 - x_1} \qquad m = \tan \theta$$

$$(x - a)^2 + (y - b)^2 = r^2$$

$$\ln \Delta ABC: \qquad \frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

$$a^2 = b^2 + c^2 - 2bc \cdot \cos A$$

$$area \Delta ABC = \frac{1}{2}ab \cdot \sin C$$

$$\sin(\alpha + \beta) = \sin \alpha \cos \beta + \cos \alpha \sin \beta$$

$$\cos(\alpha + \beta) = \cos \alpha \cos \beta - \sin \alpha \sin \beta$$

$$\cos(\alpha + \beta) = \cos \alpha \cos \beta - \sin \alpha \sin \beta$$

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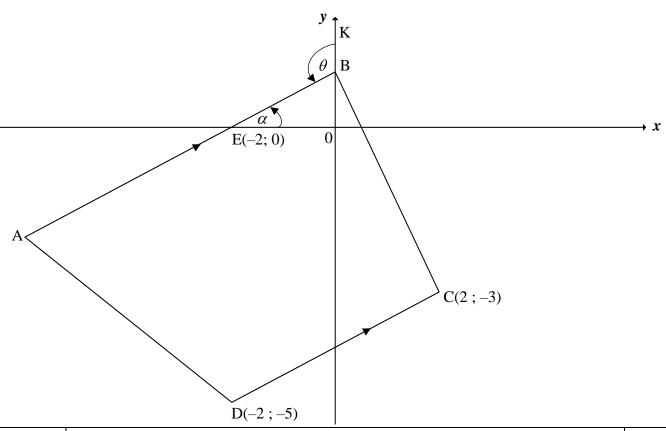
$$\cos(\alpha - \beta) = \cos \alpha \cos \beta + \sin \alpha \sin \beta$$

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$$\cos(\alpha - \beta) = \cos \alpha \cos \beta + \cos$$

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QUESTION/VRAAG 1

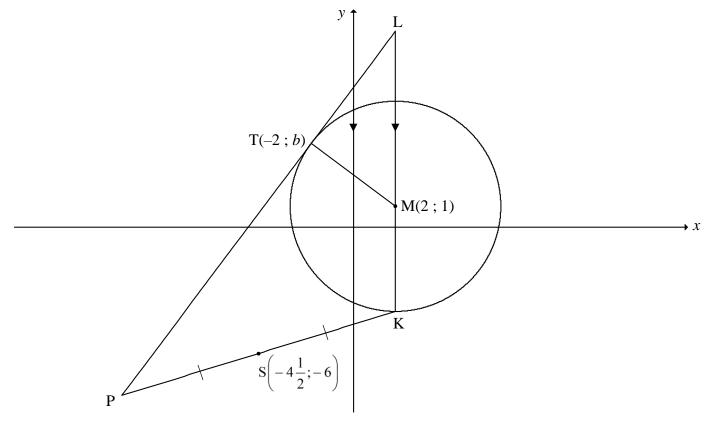


	Solution/Oplossing	Marks Punte
1.1.1		
		(2)
1.1.2		, ,
		(2)

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	Solution/Oplossing	Marks <i>Punte</i>
1.1.3		1 0000
		(2)
1.1.4		(3)
1.2		(3)
1.2		
		(3)
1.3.1		
		(2)
1.3.2		
		(4)
		[19]

QUESTION/VRAAG 2



	Solution/Oplossing	Marks Punte
2.1		
		(4)
2.2.1		(4)
		(2)

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	Solution/Oplossing	Marks <i>Punte</i>
2.2.2		
		(4)
2.2.3		()
2.3		(7)
		(4) [21]
		[21]

TOTAL: 40